

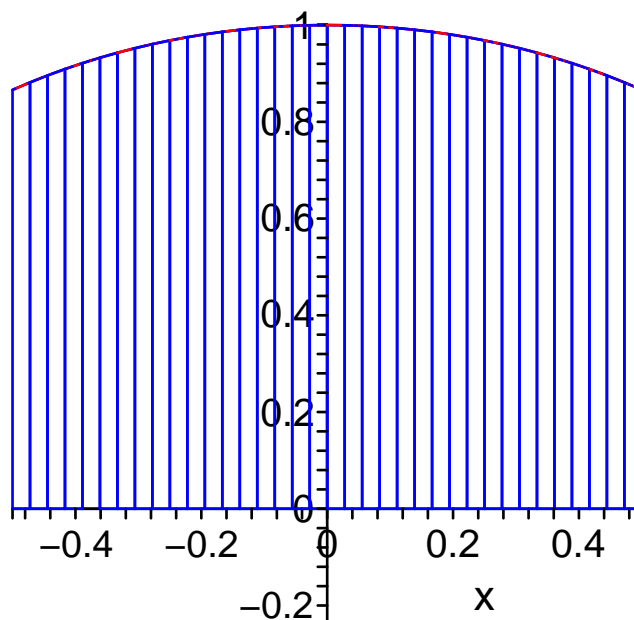
> restart;

> with(Student[Calculus1]);

[AntiderivativePlot, AntiderivativeTutor, ApproximateInt, ApproximateIntTutor, ArcLength, ArcLengthTutor, Asymptotes, Clear, CriticalPoints, CurveAnalysisTutor, DerivativePlot, DerivativeTutor, DiffTutor, ExtremePoints, FunctionAverage, FunctionAverageTutor, FunctionChart, FunctionPlot, GetMessage, GetNumProblems, GetProblem, Hint, InflectionPoints, IntTutor, Integrand, InversePlot, InverseTutor, LimitTutor, MeanValueTheorem, MeanValueTheoremTutor, NewtonQuotient, NewtonsMethod, NewtonsMethodTutor, PointInterpolation, RiemannSum, RollesTheorem, Roots, Rule, Show, ShowIncomplete, ShowSteps, Summand, SurfaceOfRevolution, SurfaceOfRevolutionTutor, Tangent, TangentSecantTutor, TangentTutor, TaylorApproximation, TaylorApproximationTutor, Understand, Undo, VolumeOfRevolution, VolumeOfRevolutionTutor, WhatProblem]

> ApproximateInt(sqrt(1-x^2), x = -1/2 .. 1/2,
method = trapezoid, partition = 36, output = plot);

An Approximation of the Integral of
 $f(x) = (1-x^2)^{1/2}$
on the Interval $[-1/2, 1/2]$
Using the Trapezoid Rule
Approximate Value: .9566114775



Area: .9565372349

— f(x)

> T := ApproximateInt(sqrt(1-x^2), x = -.5 .. .5,
method = trapezoid, partition = 36);

T:= 0.9565372349

```
> A := int(sqrt(1-x^2), x = -1/2 .. 1/2);  
A :=  $\frac{1}{4} \sqrt{3} + \frac{1}{6} \pi$   
> evalf(abs(T-A));  
0.0000742429  
> 10.0^(-4);  
0.0001000000000  
>
```